COSC 4P79 Expert systems Assignment #1 B. Ross

Due date: Friday February 3, 12:00 noon; lates until Monday Feb 6, 12:00 noon (-25%).

Objectives: Prolog programming practice! All questions use Sicstus Prolog interpreter. (SWI Prolog and others should work too, with some modifications). For programming questions, hand in a source listing as well as a dialog listing (eg. use the 'script' utility of unix).

1. (a) Construct Prolog rules defining the following family relations:

mother	father	son
daughter	child_of	grandmother
grandfather	grandson	granddaughter
grandchild	aunt	uncle
niece	nephew	cousin
second-cousin*	sibling	great-grandparent

(* more complicated than you might think -- see Wikipedia page!)

(b) Add to the database information about your own family tree, and run some queries to test the different predicates. Make sure a person is not his or her own sibling!

2. Write a Prolog program that solves the following arithmetic puzzle. The 16 empty squares represent the integers 1 through 16, with no repeats. No value is used more than once. The first row represents the condition,

(A + B - C) / D = 9

Your program should report the solution integers in row-major order (row 1, row 2, etc.). With backtracking, your program should report multiple solutions of the puzzle if they exist. (Note: in Sicstus, the "/" operator always returns floats, while "//" returns integers).

	+		-		1		9
-		-		+		+	
	х		+		+		49
+		-		-		1	
	×		-		+		24
/		х		+		-	
	-		+		+		27
2		-6		16		-14	

3. (a) Take the attached code from Clocksin and Mellish which does symbolic differentiation, type it into Prolog, and try it on some example expressions.

(b) Write a new predicate simplify(Old, New). Old is an arithmetic expression as generated by the symbolic differentiation routine in (a). New is a simplified expression. The types of simplifying transformations can look as follows:

 $\begin{array}{l} \mathsf{E} + \mathbf{0} \rightarrow \mathsf{E} \\ \mathsf{E}^* \mathbf{0} \rightarrow \mathbf{0} \\ \mathsf{E} - \mathsf{E} \rightarrow \mathbf{0} \\ \mathsf{E} + \mathsf{E} \rightarrow \mathbf{2}^* \mathsf{E} \\ \mathsf{E} / \mathbf{1} \rightarrow \mathsf{E} \\ \mathsf{etc.} \end{array}$

Think of a reasonable number of simplifying transformations, and implement them. You can test simplify/2 without using the differentiation routine. In general, you will have better results with your simplifier if you recursively simplify arguments before the parent expression. For example,

 $\begin{array}{ll} 5^*((2^*3)\text{-}(2^*3)) \rightarrow 5^*0 & (\text{using "E-E"}) \\ \rightarrow 0 & (\text{using E*0}) \end{array}$